

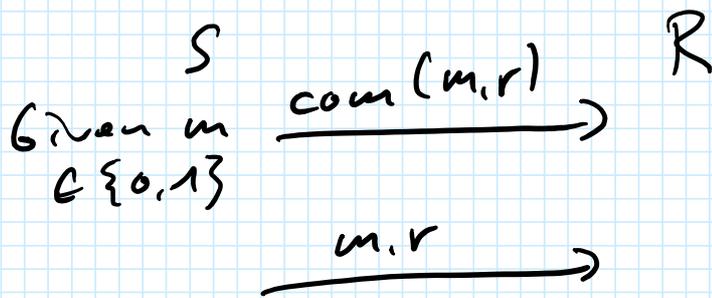
---

What is rewinding?

Motivational example: Commitment

o

o



Hiding:  $m$  does not leak in commit phase  
 Binding: Sender cannot change his mind

Def (binding) // ~~classical~~ *quantum*

For any <sup>quantum</sup> poly  $S$ :

If  $c, m, r, m', r' \leftarrow S()$  with  $m \neq m'$   
 then  $P_0 [c, m, r \text{ valid} \wedge c, m', r' \text{ valid}]$   
 negligible

This implies:

Betting game  $S \xrightarrow{c} R[\text{success}] \leq \frac{1}{2} + \text{negl.}$   
 $\xleftarrow{m}$   
 $\xrightarrow{\text{open}}$

Intuitive But: Not correct for quantum  $S$

What happened? Class proof:

1. Assume  $S$  wins betting game. (with  $pr=1$ )

2. Run:  $S \xrightarrow{c} \xrightarrow{m=0} r \xrightarrow{r'}$   $\xrightarrow{m=1} r'$   
 $m \neq m'$   
 $c, m, r$  valid  
 $c, m', r'$  valid

Quantumly: Cannot copy state of  $S$   
 $\Rightarrow$  no rewinding here



$$P \equiv V^*$$

↓  
|out>

indist.

$$S(G_0, G_1)$$

↓  
|out>

Proof (GI is ZK)

$S_1$ : Guess  $b'$

$$H \approx G_{b'}$$

H

→

b

←

$$H \approx G_{b'}$$

→

If  $b \neq b'$ :  
abort

z  
↓  
 $V^*$   
↓  
out

$$\Rightarrow S_1 | \text{not abort} \equiv \langle P, V \rangle$$

S: Repeat  $S_1$  until success

$$\Rightarrow S \equiv \langle P, V^* \rangle \leftarrow \text{Rewinding}$$

$$\Rightarrow \text{GI is ZK}$$

Quantum-setting:

$S_1$ : Same constr. but takes  $|4\rangle$

$$S_1 | \text{not abort} \equiv \langle P, V \rangle$$

But: How to build S?

$|4\rangle$

↓

$S_1$

↓ → meas: ok?

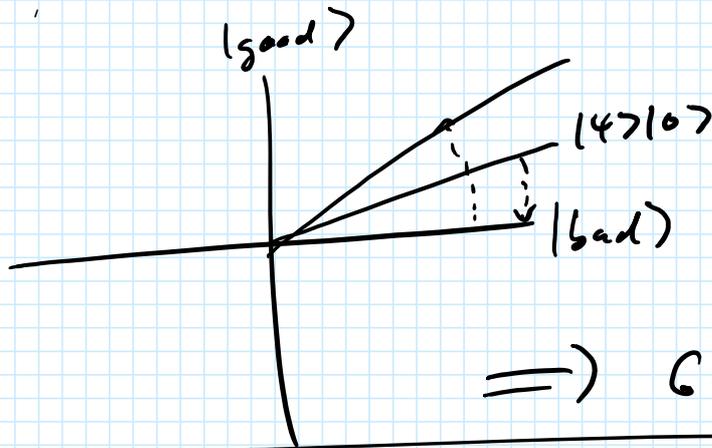
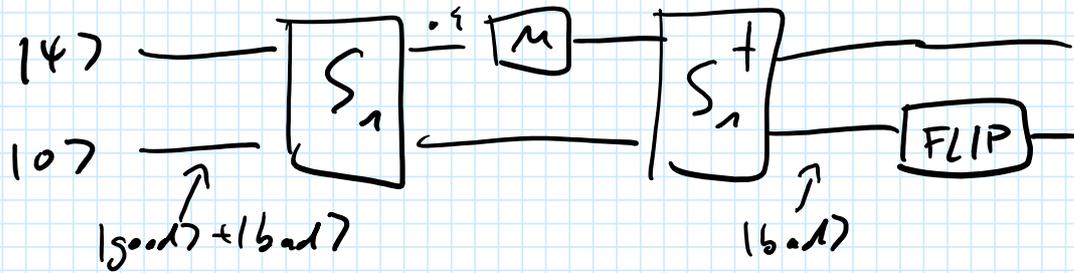
$$\equiv I \left\{ \begin{array}{l} S_1^+ \\ | \approx |4\rangle? \end{array} \right.$$

Does not work.

After first meas.:  
stuck

$=I$  }  $s_n$   $\approx |4\rangle?$   
 $\downarrow$   
 $\downarrow$   
 $\downarrow$  meas: ok?  
 $\vdots$

stuck



FLIP:  $|0\dots 0\rangle \rightarrow -|0\dots 0\rangle$   
 $|x\rangle \rightarrow |x\rangle$

$\Rightarrow$  Get good.

- Challenge :-
- GI is PoK
  - GNI is ZK
  - Fiat-Shamir is secure